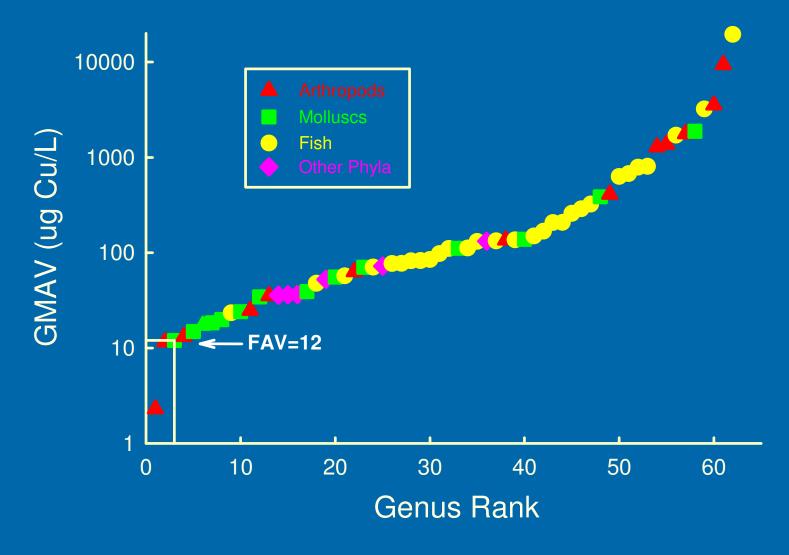
Use of Toxicity Models in ALC to Address Different Levels of Effect as a Function of Exposure Time-Series

> Russell Erickson U.S. Environmental Protection Agency Mid-Continent Ecology Division, Duluth, MN

Meeting on Revising U.S.EPA's Guidelines for Deriving Aquatic Life Criteria September 14-16, 2015

Arlington, VA

#### **Species Sensitivity Distribution**



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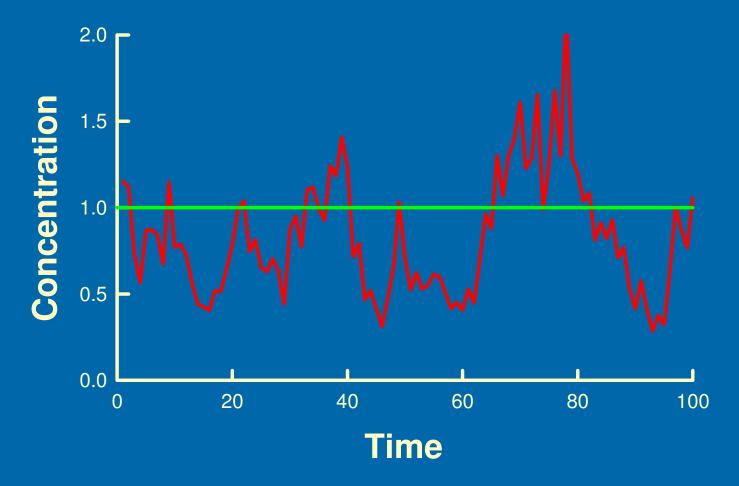
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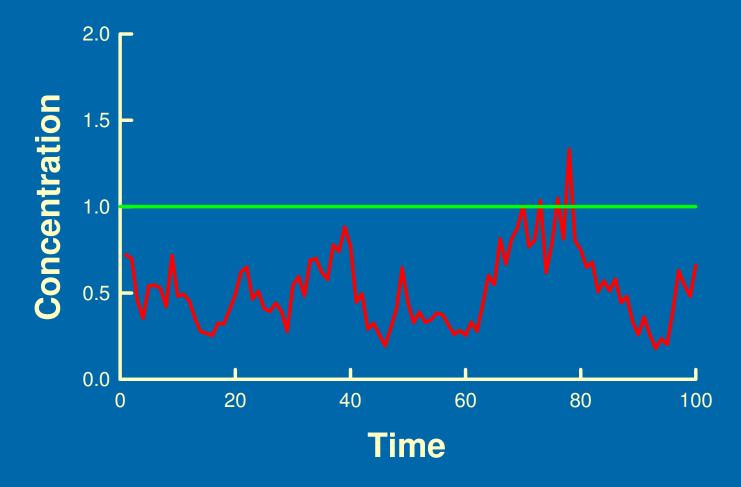
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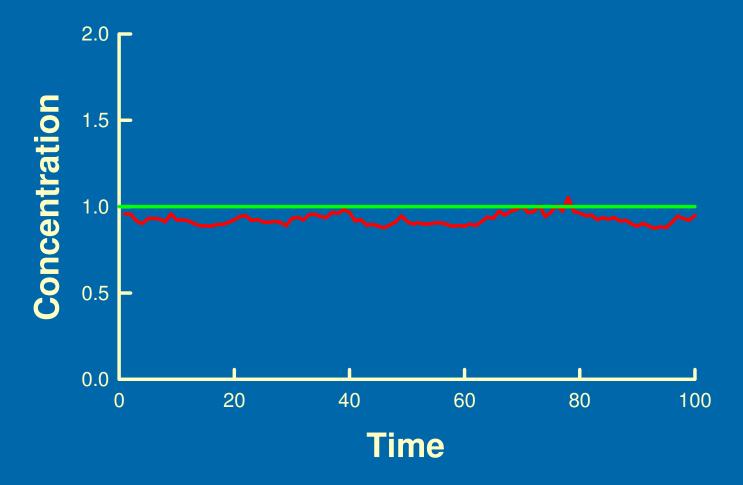
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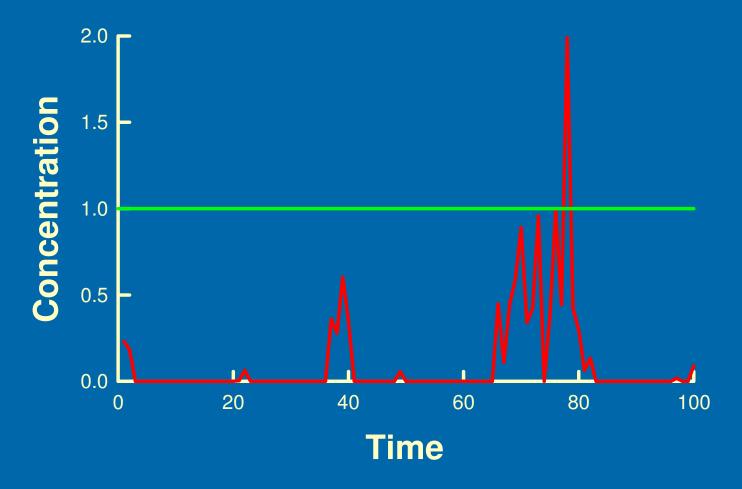
(3) Discrete exposure duration – does not address time dependence.

(4) Basis for percentile choice – how does this relate to ecosystem risk?

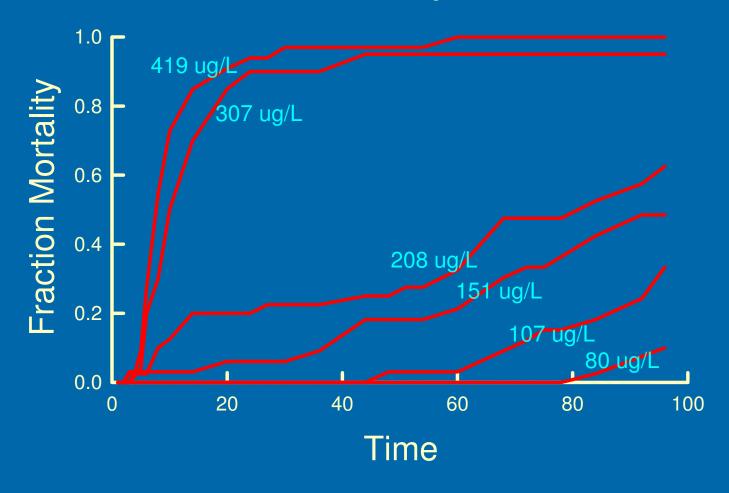




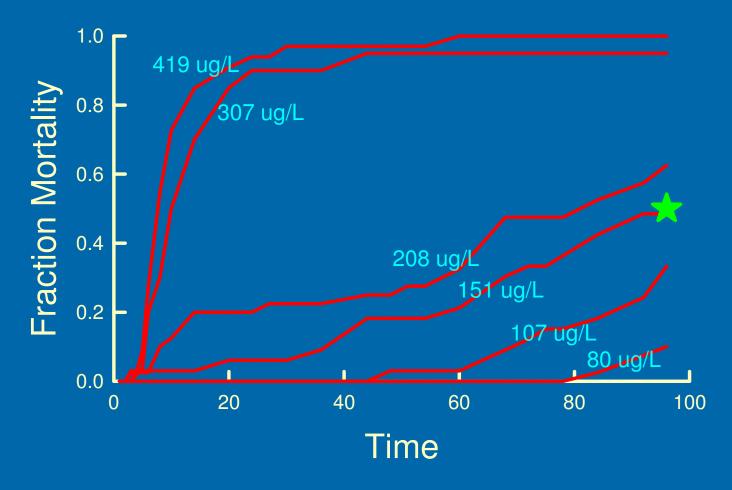




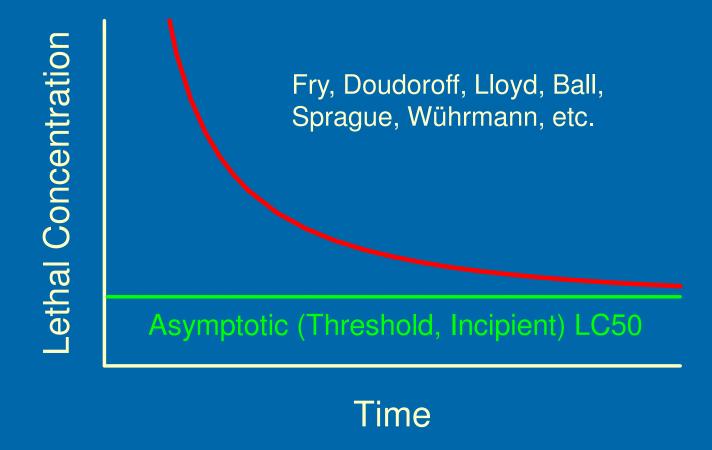
#### Limited Use of Information from Toxicity Tests



#### Limited Use of Information from Toxicity Tests



# Methods to Describe Time and Concentration Dependence?



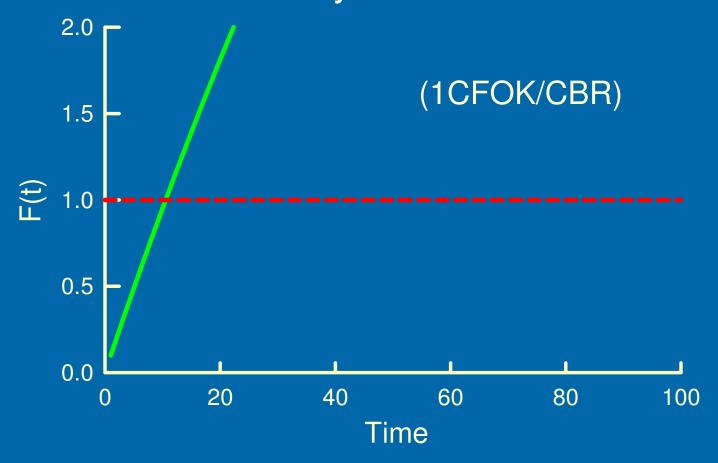
## Methods to Describe Time and Concentration Dependence?

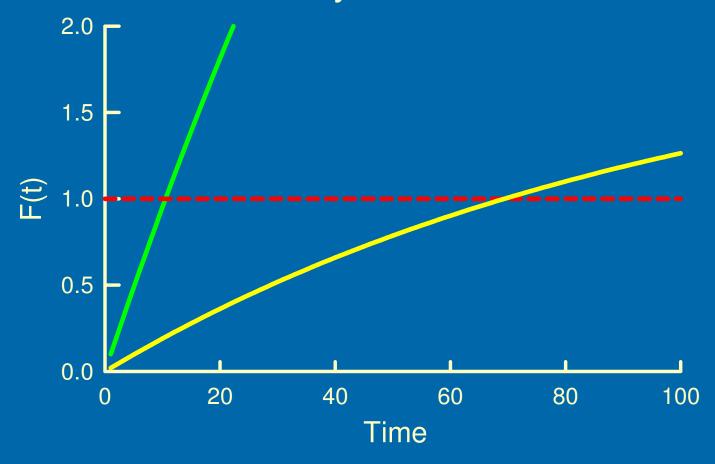
Deterministic toxicokinetics/toxicodynamics models: Chen and Selleck (1969), Zitko (1979), Mancini (1983), Neely (1984), Chew and Hamilton (1985), McCarty and Mackay (1993), Connolly (1987), Breck (1989), Hickie et al (1995), Ankley et al (1995), Lee et al (2002), Landrum et al (2004)

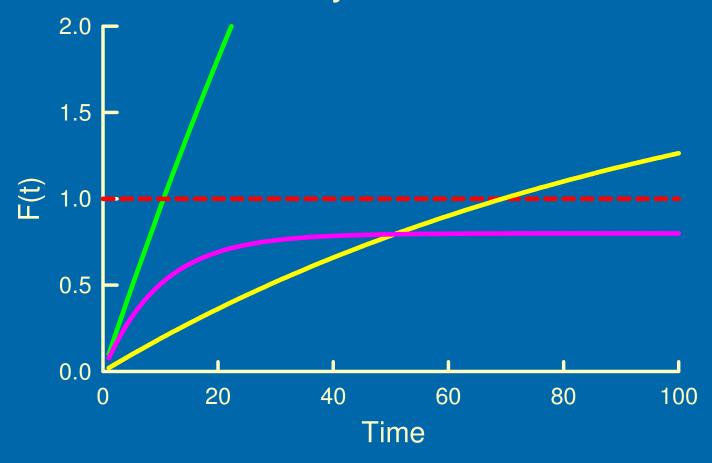
Stochastic models-distributional time-to-death, hazard rate: Dixon and Newman (1991), Newman (1995), Crane et al (2002) Kooijman and Bedaux (1996a, 1996b), Ashauer et al (2006, 2007)

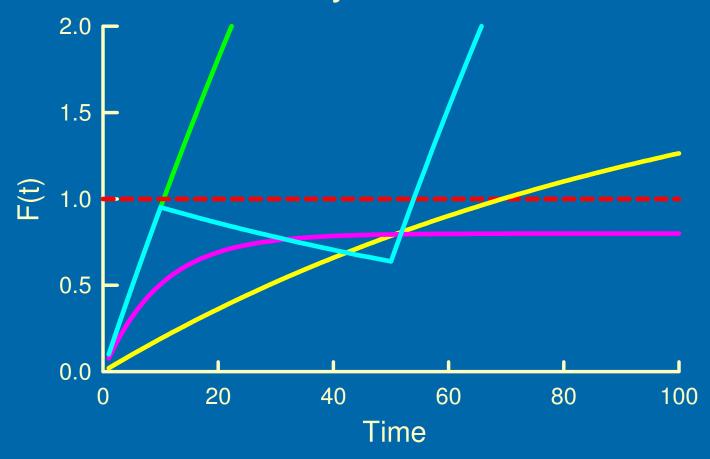
Unified model – *Jager, Albert, Preuss & Ashauer (2011)* Numerous studies of pulsed exposures, model use











**Toxicokinetics:** 

$$\frac{dA(t)}{dt} = k_{\rm U} \cdot C(t) - k_{\rm E} \cdot A(t)$$

Toxicodynamics:  $A(t)^{?} LA$ 

(Note: Parameters differ for individual organisms)

For  $A(t_0)=0$  and constant exposure concentration C:

$$A(t) = \frac{k_{U}}{k_{E}} \cdot C \cdot \left(1 - e^{-k_{E} \cdot t}\right) = BCF_{ss} \cdot C \cdot \left(1 - e^{-k_{E} \cdot t}\right)$$
$$LC = \frac{LA}{BCF \cdot \left(1 - e^{-k_{E} \cdot t_{D}}\right)} = \frac{LC_{\infty}}{\left(1 - e^{-k_{E} \cdot t_{D}}\right)}$$

For  $A(t_0)=0$  and a general exposure time series C(t):

$$\mathcal{A}(t) = \frac{k_{U}}{k_{E}} \cdot \int_{x=t_{0}}^{x=t} \left( \mathcal{C}(x) \cdot k_{E} \cdot e^{-k_{E} \cdot (t-x)} \right) dx = BCF \cdot \overline{C}(t)$$

$$\overline{LC}(t) = \frac{LA}{BCF} = LC_{\infty}$$



Variation among individual organisms is addressed by a distribution for the model parameters  $LC_{\infty}$  ,  $k_{\rm e}$ 

Model can be extended/modified for:

Damage/repair processes

Multi-compartment kinetics

Multiple mechanisms

**Delayed mortality** 

# Stochastic Model for Lethality (part of DEBtox)

**Toxicokinetics:** 

 $\frac{dA(t)}{dt} = k_{U} \cdot C(t) - k_{E} \cdot A(t)$ Toxicodynamics:  $h(t) = max \left(0, d \cdot (A(t) - A_{0})\right)$ 

(Note: Parameters are same for individual organisms)

#### **Model Parameterization**

Number of deaths within each time interval for each treatment									
Treatment	Time Interval								Survivors
	1	2	3	4	5	6	7	8	Survivors
1									10
2							3	4	3
3					1	2	7		
4				5	5				
5		2	3	4	1				

Parameters estimated by maximum likelihood analysis:

$$L(\mathbf{N} | \Theta) = \prod_{j=1}^{J} \left( \prod_{i=1}^{J+1} \mathbf{P}_{i,j}^{N_{i,j}} \right)$$



## Example: Copper Acute Toxicity to Fathead Minnows



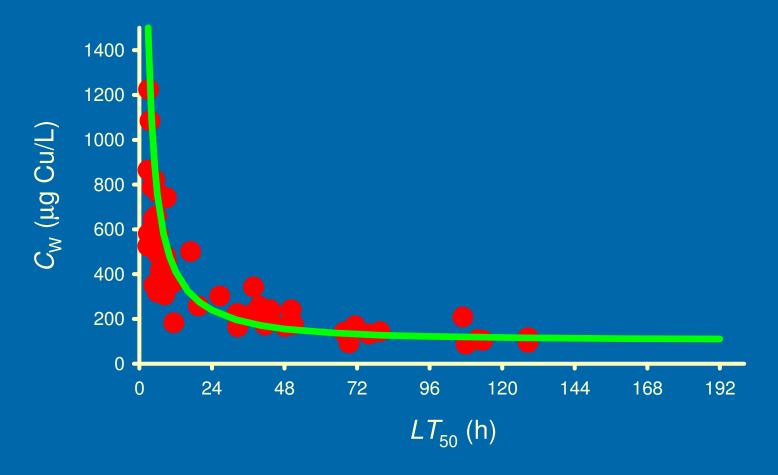
#### Copper Toxicity to Fathead Minnows (Lindberg and Yurk; 1982, 1983)

31 constant-exposure toxicity tests on lethality of copper to juvenile fathead minnows; durations ranging from 2.5 h to 192 h; observations of delayed mortality for exposure durations of 24 h or less.

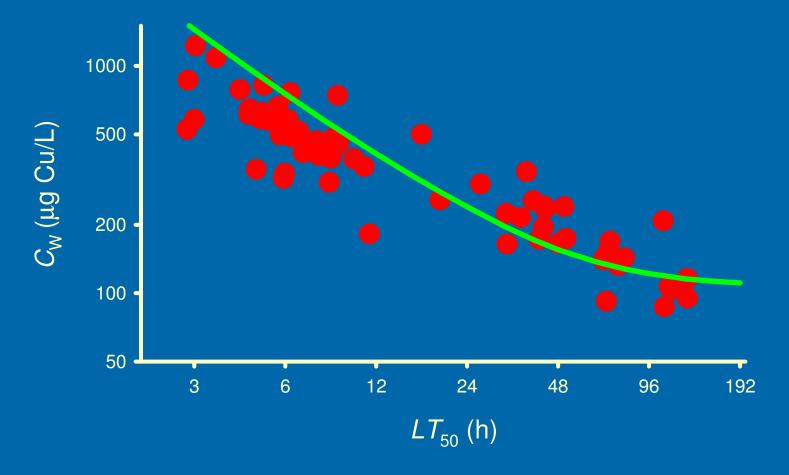
6 pulsed-exposure toxicity tests; pulse durations from 2.5 to 12 h; pulse intervals from 8 to 24 h.



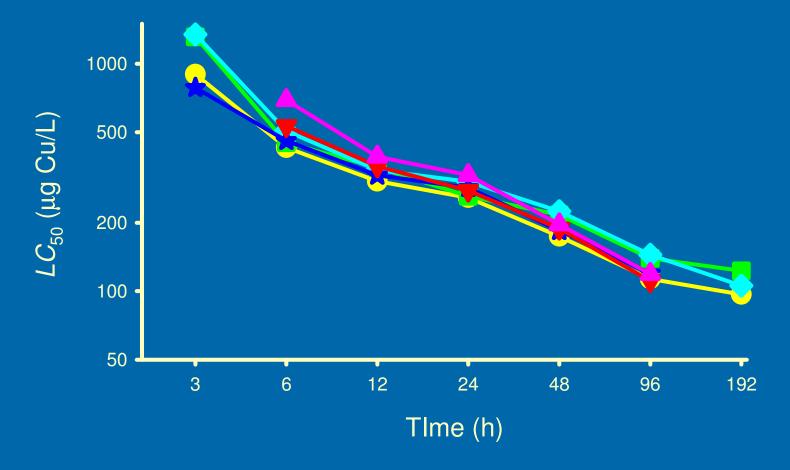
#### Copper Toxicity to Fathead Minnows LT50s for Constant Exposures



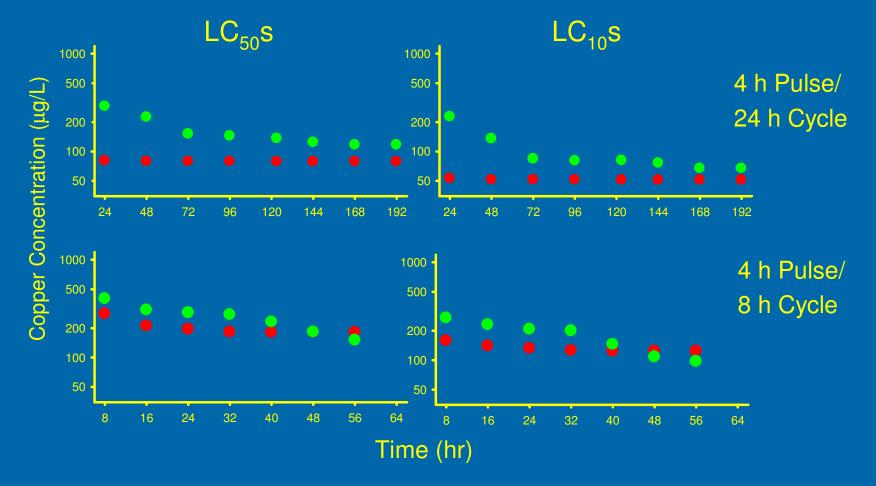
#### Copper Toxicity to Fathead Minnows LT50s for Constant Exposures



#### Copper Toxicity to Fathead Minnows LT50s for Constant Exposures



#### Copper Toxicity to Fathead Minnows LC50s and LC10s for Pulsed Exposures



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A National Health and Ecological Effects Research Laboratory, Mid-Continent Ecology Division

Copper Toxicity to Fathead Minnows Model Characteristics

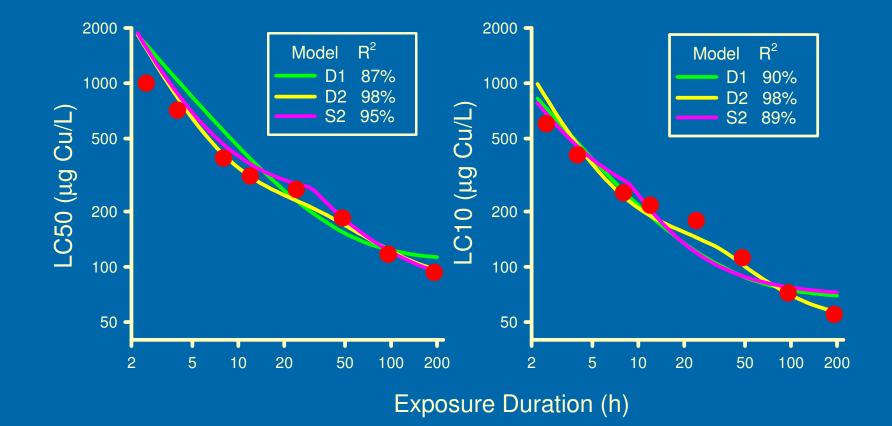
D1 – Deterministic, one mechanism, first-order kinetics

D2 – Deterministic, two mechanisms, first-order kinetics, delay-adjusted

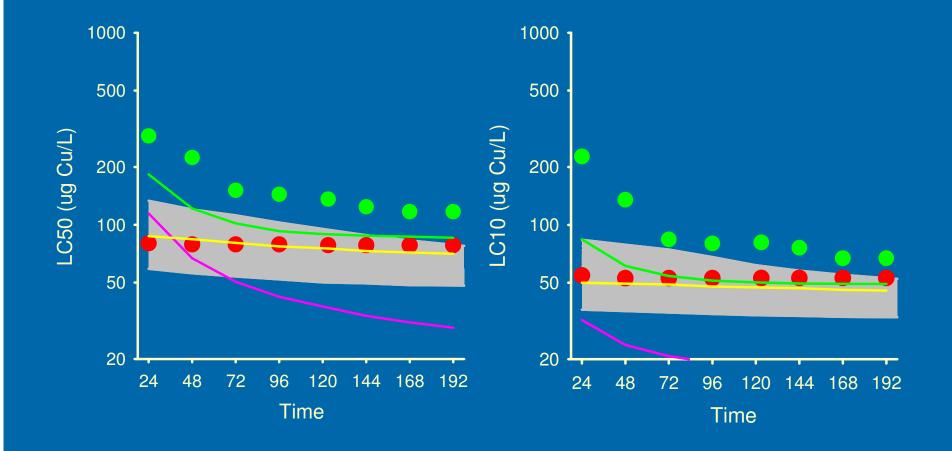
S2 – Stochastic, two mechanisms



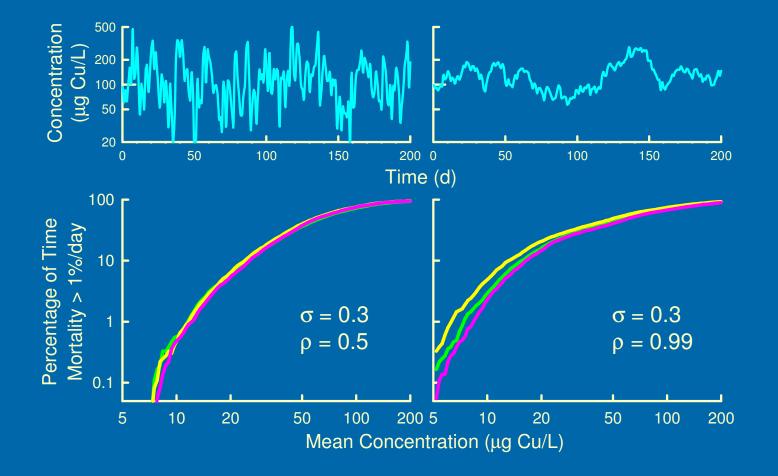
#### Copper Toxicity to Fathead Minnows Model Fit to Constant Exposures



#### Copper Toxicity to Fathead Minnows Model Fit to 4h/24h Pulsed Exposures



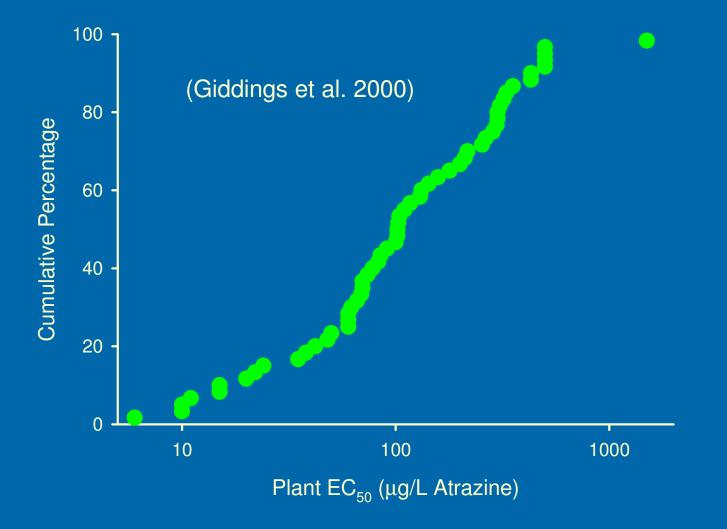
## Copper Toxicity to Fathead Minnows Risk Characterizations



## Example: Atrazine Effects on Aquatic Plant Growth



#### **Species Sensitivity Distribution**



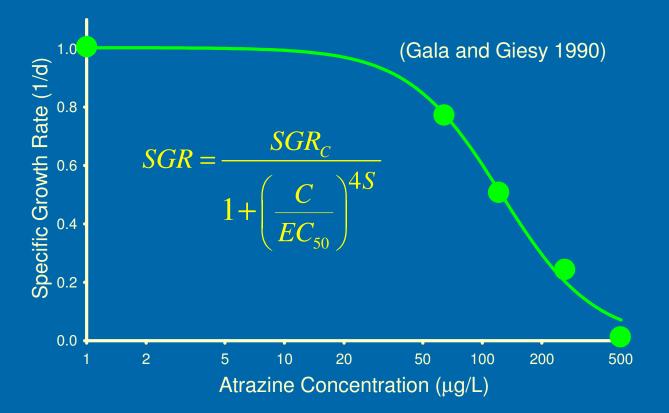
# Specific Growth Rate (SGR)SGR Definition: $SGR = \frac{1}{P(t)} \cdot \frac{dP(t)}{d(t)}$ Constant SGR: $P(t) = P(0) \cdot e^{SGR \cdot t}$

Time-variable SGR:  $P(t) = P(0) \cdot e^{\int_0^t SGR(t) \cdot dt}$ 

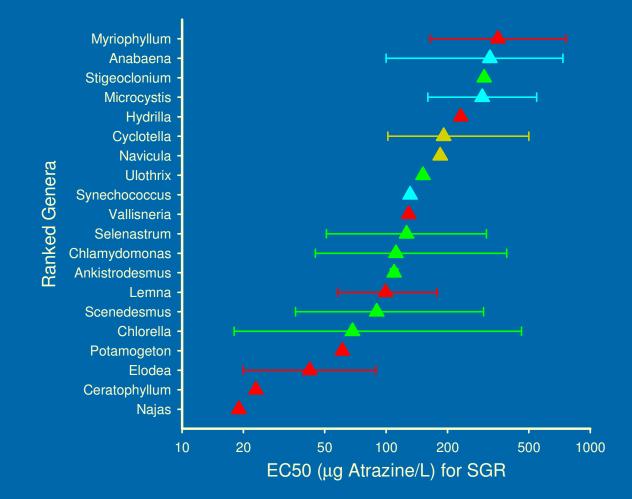
(Note: for atrazine, SGR responses quickly to changes in concentration – time lags are not addressed here)

#### **Toxicity Relationships**

Plant toxicity tests reanalyzed to provide relationships of specific growth rate to atrazine concentration.



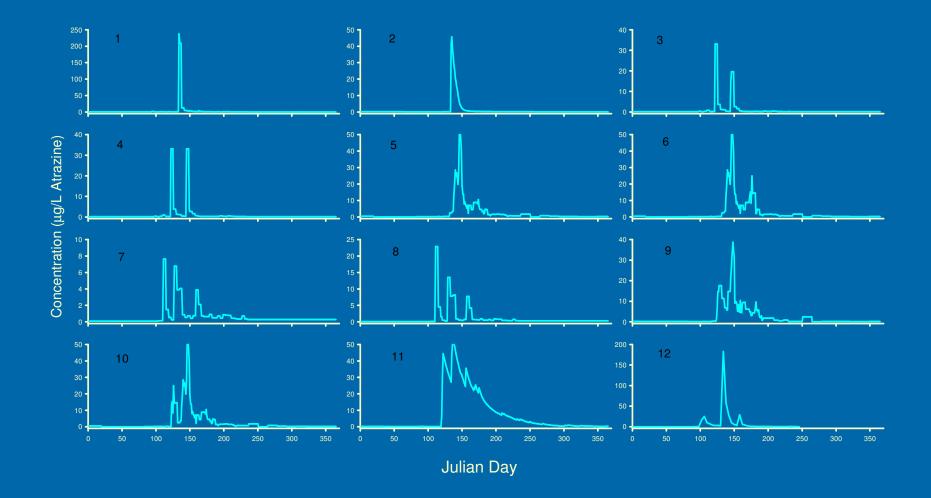
#### **Toxicity Relationships**



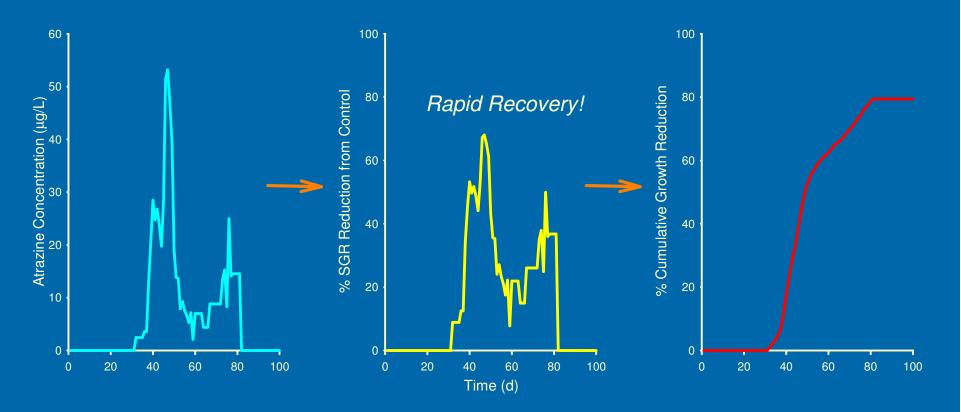
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**⇒EPA** 

#### **Exposures in Natural Systems**



#### **Cumulative Effects**



(Note: Cumulative growth reduction does not address other factors regulating growth, so should be interpreted as a relative effects index, not an absolute prediction. More on this in next talk!)

#### Questions?

